



# A Quality-Guided Mixture of Score-Fusion Experts Framework for Human Recognition

Jie Zhu<sup>1</sup>, Yiyang Su<sup>1</sup>, Minchul Kim<sup>1</sup>, Anil Jain<sup>1</sup>, and Xiaoming Liu<sup>1</sup>

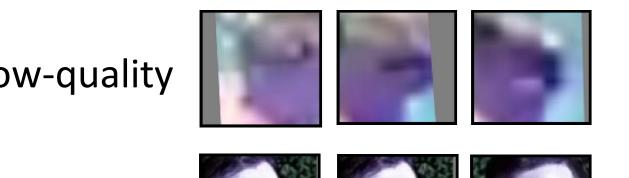
<sup>1</sup>Michigan State University (MSU)





### Motivation

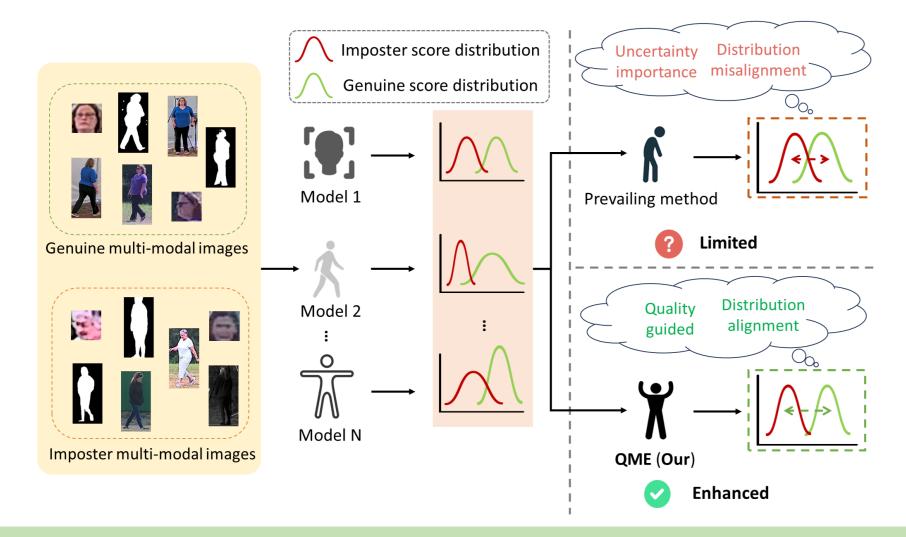
#### 1. Low quality vs high quality modality:



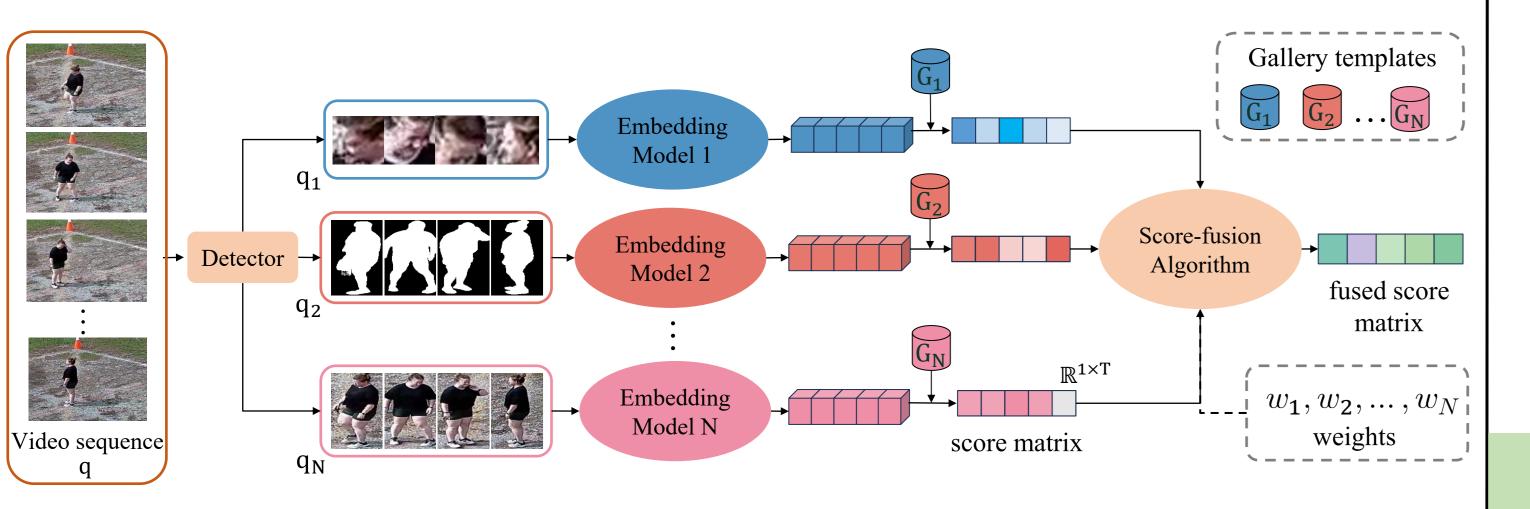
For a probe with **low-quality**, we should give a **lower weight.** 

For a probe with high-quality, we should give a higher weight.

#### 2. Distribution misalignment & uncertainty importance:

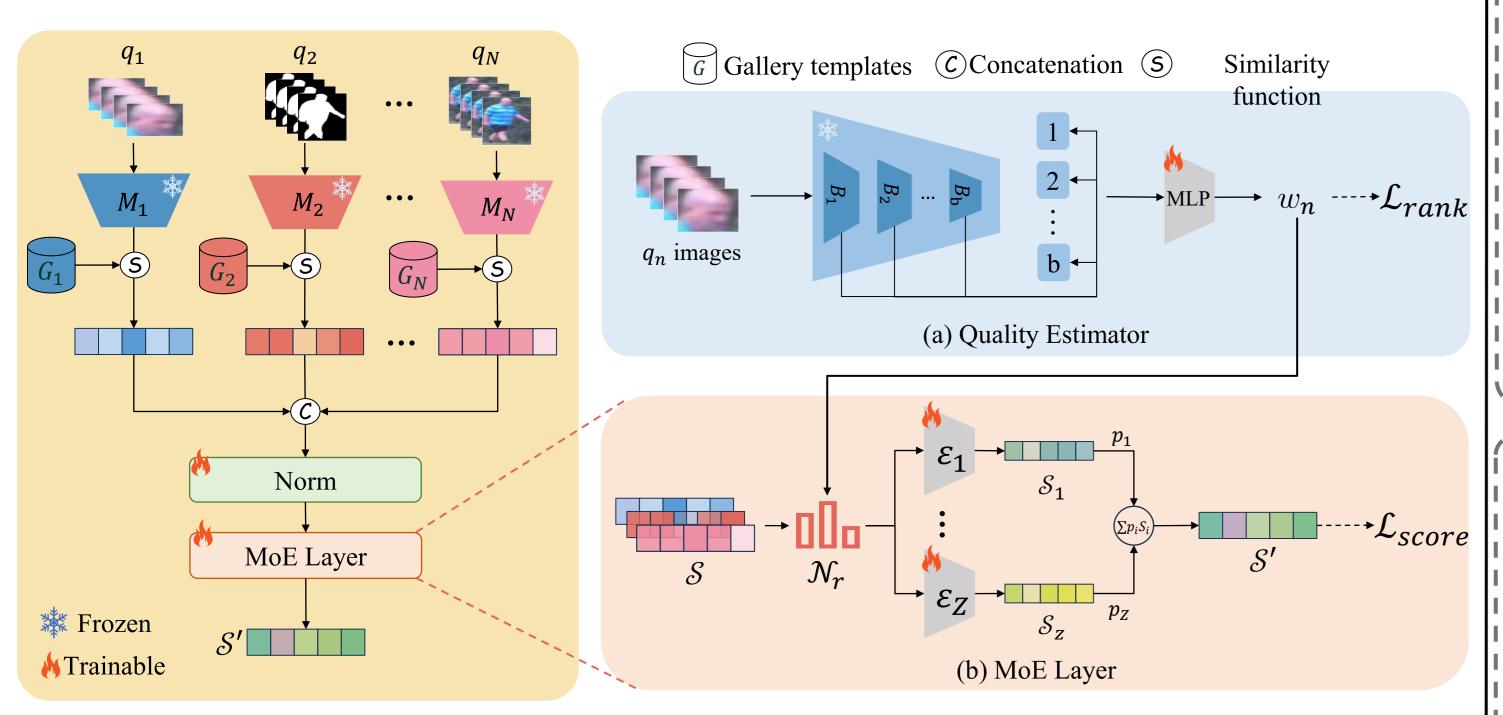


# Systematic Whole-body Biometric Recognition



### QME Framework

We propose a Quality-Guided Mixture of Score-Fusion Experts (QME) framework to fused the score matrices.

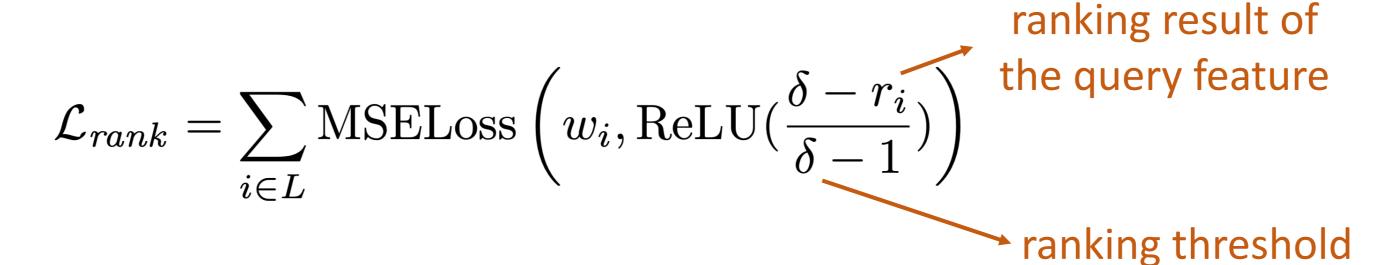


QME dynamically assigns weights to each expert based on input quality, encouraging diverse specializations.

### **Loss Functions**

# **Pseudo Quality Loss**

Provide pseudo quality labels based on the ranking result of the sample:



#### Examples:

Farsight [31]

Ours

 $r_i$ =1,  $\delta$ =10, Pseudo quality label: 1  $r_i$ =5,  $\delta$ =10, Pseudo quality label: 0.56  $r_i$ =20,  $\delta$ =10, Pseudo quality label: 0

### **Score Triplet Loss**

Traditional triplet loss optimizes relative distances between samples:

$$\mathcal{L}_{tri} = \text{ReLU}(d(a, p) - d(a, n) + m),$$

but it does not constrain the values of negative samples, which are crucial for calculating the threshold in verification and open-set search metrics.

To optimize these metrics, we introduce the score triplet loss:

$$\mathcal{L}_{score} = \text{ReLU}(\mathcal{S}'_{nm}) + \text{ReLU}(m - \mathcal{S}'_{mat})$$

# **Experiments**

Our method consistently outperforms existing approaches across all four benchmarks, achieving SoTA performance in challenging metrics.

	N	ΛΕΛΙ	D			1		C	CVIE			
Method	Comb.	Rank1↑	mAP↑ ′	TAR↑	FNII	R↓ II	Method	Comb.	Rank1↑	mAP↑	TAR↑	FNIR↓
AdaFace* [22]	•	25.0	8.1	5.4	98.8 ±	1.2	AdaFace* [22]	•	94.0	87.9	75.7	$13.0 \pm 3.5$
CAL [15]	<b>_</b>	52.5	27.1	34.7	$67.8 \pm$	7.3	CAL [15]	<b>^</b>	81.4	74.7	66.3	$52.8 \pm 13.$
AGRL [53]		51.9	25.5	30.7	$69.4 \pm$	8.9	BigGait* [57]	*	76.7	61.0	49.7	$71.1 \pm 6.1$
Z-score [47]		54.1	27.4	30.7	$66.5 \pm$	7.0	Z-score [47]		92.2	90.6	73.9	$15.1 \pm 1.5$
Min-max [47]		52.8	24.7	25.0	$71.3 \pm$	6.1	Min-max [47]		91.8	90.9	73.9	$15.4 \pm 2.5$
RHE [17]		52.8	24.8	25.3	$71.2 \pm$	6.2	<i>RHE</i> [17]		91.7	90.2	73.1	$16.6 \pm 2.5$
Weigthed-sum [35]		54.1	27.3	30.3	$66.3 \pm$	= 7.0	Weigthed-sum [35]		91.7	90.6	73.6	$15.4 \pm 1.8$
Asym-AO1 [18]		52.5	22.9	23.6	$71.7 \pm$	5.8	Asym-AO1 [18]		92.3	90.0	74.0	$15.9 \pm 1.7$
BSSF [49]		53.5	27.4	30.5	$65.9 \pm$	7.2	BSSF [49]		91.8	91.1	73.9	$14.1 \pm 1.3$
Farsight [32]		53.8	25.4	26.6	$69.8 \pm$	6.4	Farsight [31]		92.0	91.2	73.9	$13.9 \pm 1.1$
Ours (AdaFace-QE)		55.7	28.2	32.9	$64.6 \pm$	8.2	Ours (AdaFace-QE)	)	92.6	91.6	<u>75.0</u>	$13.3 \pm 1.2$
Ours (CAL-QE)		55.4	27.9	32.5	$64.3 \pm$	8.7	Ours (CAL-QE)		94.1	90.8	76.2	$12.3\pm1.4$
	E	BRIA	R			`			LTCC			
		Face Incl. Trt. Face Restr. Trt.			r. <i>Trt</i> .	Method	Comb.	Rank1↑	mAP↑	TAR↑	FNIR↓	
Mathad Ca	mb	D↑ D20	► ENIID I		D204	ENID	AdaFace* [22]	•	18.5	5.9	2.4	$99.8 \pm 0$
Method Co	. /*	$\mathbf{K} \perp \mathbf{K} / \mathbf{U}'$		IAK	K20	FNIR↓	CAT [15]	_	74.4	10 G	26 7	FO 7 1 7
meinoa Co	IA	11 1120	•				CAL [15]		14.4	40.6	36.7	$59.7 \pm 7$
KPRPE [24]		6.5 80.5		31.5	44.5		AIM [56]	-T	74.8	40.0 $40.9$	$30.7 \\ 37.0$	$66.2 \pm 9$

BSSF [49]

Farsight [31]

 $31.3 \quad 72.4 \pm 8.6$ 

73.8 39.6 35.0  $64.3 \pm 8.0$ 

### **Ablation Studies**

(1) Effects of proposed component.

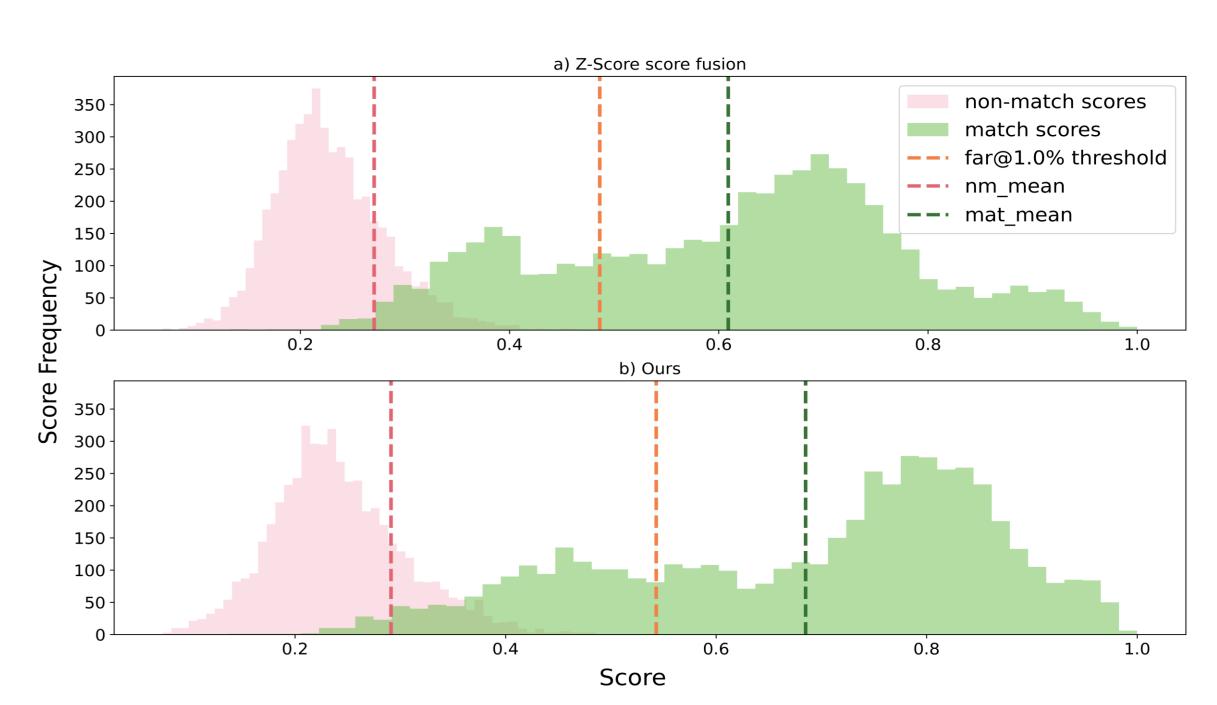
$\mathcal{L}_{ ext{scc}}$	ore QE	Z	Rank1†	mAP↑	TAR↑	FNIR↓
X	X	1	49.4	21.6	23.3	84.0
✓	X	1	53.8	24.5	25.3	70.4
X	X	2	54.1	25.5	30.8	65.4
✓	X	2	55.1	27.0	31.3	66.5
	<b>✓</b>	2	55.7	28.2	32.9	64.6

(2) Effects of expert aggregation. Each expert specializes in specific data scenarios and metrics, and their aggregation leads to the best overall performance.

	Expert	Fa	ce Incl.	Trt.	Face Restr. Trt.			
	•	TAR↑	R20↑	FNIR↓	TAR↓	R20↑	FNIR↓	
Ī	$arepsilon_1$	83.6	<u>95.5</u>	<u>41.7</u>	62.0	90.6	<u>66.7</u>	
	$arepsilon_2$	81.8	<u>95.5</u>	46.6	<u>65.0</u>	90.6	68.4	
	Ours $(\varepsilon_1 + \varepsilon_2)$	<b>84.5</b>	<b>95.7</b>	41.2	67.9	90.6	$\boldsymbol{64.1}$	

#### Visualizations

QME has a clearer boundary between match scores and non-match scores.



The predicted quality weight can dynamically reflect the quality of the input sample:

